

AE3-T11

Sustainable Development

05-02-2008

Book: Renewable Energy ISBN 0-19-926178  
Godfrey Boyle  
Oxford University Press  
Chapters 1, 2, 3, 4 + 7

06-02-2008

Specific energy = energy/kg

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### Definitions

Climate change: climate change refers to the variation in the earth's global climate or in regional climates over time. ~~It describes changes.~~

Global warming:

United Nations Framework Convention on climate change (UNFCCC):

IPCC: Intergovernmental Panel on Climate Change.  
Only review published scientific literature.

Renewable energie:

gas

- Cleaner to burn
  - Half as much CO<sub>2</sub> as coal
- More efficient
  - 10% energy lost
- 60-year supply at current rates
  - not predicted linearly! This will result in errors.
  - Because the ~~for~~ certain factors has to be included.
    - Growth in world population
    - Growth in wealth.
- Difficult to transport
  - long distance pipelines
  - Liquefied Natural gas (LNG) tankers
- Can be polluting.
  - = dis
  - = advantage

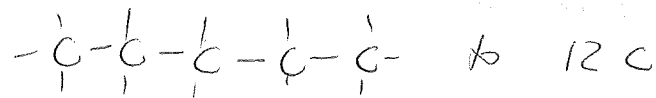
Oil

Gasoline (mogas): chains of 5 to 12 carbon atoms.

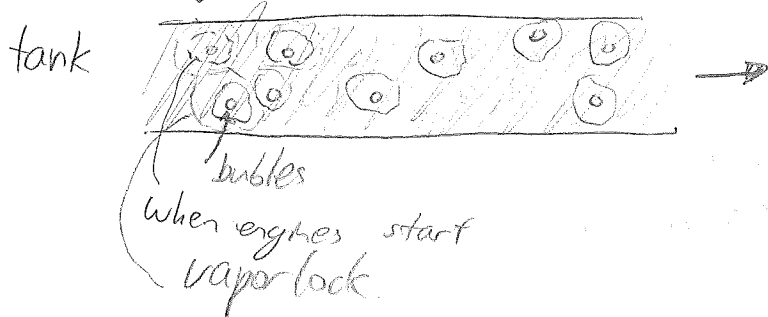
- aircraft fuel → Avgas 100LL
  - ↳ low lead protect valves

Mogas has problems at higher altitudes, vapor locks.

for mogas:



a gas bubble exist. due to low pressure



- Octane = equivalent<sub>a</sub> of octane.  
behaviour
- Diesel: 10 to 15 chains atoms
- kerosene: 12 to 15 chains atoms  
low volatility removed.
- Baku ~~important~~ important place.
- Carter-doctrine.

# Engineering Stuff

Energy = Capacity for doing work

$$\text{Work} = F \cdot s_{\text{in direction of the force}}$$

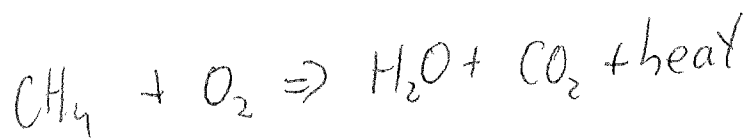
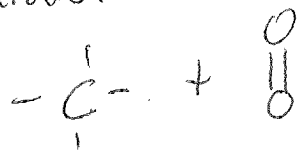
Energy (E, U) } unit Joules (N.m)  
Work W }

$$\text{Power} = \text{energy per unit of time} = \frac{J}{s} = \text{Watt}$$

## Conservation of energy

### Main types of energy:

- Chemical energy = comes out of the capacity of atoms. to generate heat as they combine or separate.



- Electrical Energy

- Kinetic Energy

- Potential Energy

- Heat Energy

- Radiant Energy = energy in transit through space

- Nuclear energy.

from to from	Chemical	Electrical	Heat	Light	Mechanical
Chemical	////	- battery - fuel cell	oxidative burning	- burning of a candle	muscles
Electrical	- battery - electrolysis	////	toaster electric cooling electric heater	light bulb	electrical motor
Heat	- vaporization - gasification	- thermo couple - peltier element	////	thermo couple fire	stirling motor gas turbine
light	- photosynthesis - photo camera	solar cells	solar collector	////	solar sails photo electric door opener
Mechanical kinetic	heat cell	- generator	friction brake	flint spark	////

### Heat transfer

↓  
form of energy → can be transferred from A to B  
as a result of temperature difference

3 shapes of heat transfer

- conduction ←
- convection ←
- radiation x

conduction transfer of energy from more energetic particles in a substance to less energetic particles.

### Fourier's law of heat conduction

heat conduction through a medium, wall, with a thickness,  $\Delta x$ , and an area,  $A$ , then:

$$Q = -kA \left( \frac{\Delta T}{\Delta x} \right) \leftarrow \text{steady state.}$$

gradient is the driving force of conduction  
↳ material related.

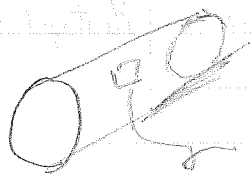


High  $T$  to low  $T$  is positive heat transfer.  
 $k$  = thermal conductivity of the material

$k = k_0 (1 + \beta(T - T_0))$  in general  
 $k @ T_0 = T_0$   
 gases  $\beta > 0$  when  $T \uparrow$   $k \uparrow$  !  
 Solids/Liquids  $\beta < 0$  when  $T \uparrow$   $k \downarrow$  !

here we neglect the temperature difference.

Example.



aluminum  
 $t = 1 \text{ mm}$   
 $A = 1 \text{ m}^2$

$OAT = -55^\circ\text{C}$   $k = 204 \text{ W/mK}$

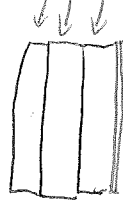
inboard =  $21^\circ\text{C}$

$|\Delta T| = 76 \text{ K}$

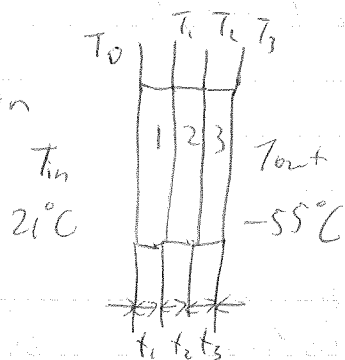
$\dot{Q} = 15,504 \text{ MW/m}^2 \leftarrow \text{very high! because AL is a very good conductor!}$

So we have to insulate the aircraft.

$\Rightarrow$  insulation



aircraft skin



$\dot{Q}_1 = \frac{A k_1 (\Delta T_1)}{t_1}$

$\dot{Q}_3 = \frac{A k_3 (\Delta T_3)}{t_3}$

$\dot{Q}_2 = \frac{A k_2 (\Delta T_2)}{t_2}$

$|\Delta T_1| = T_1 - T_0$

$|\Delta T_3| = T_3 - T_2$

$|\Delta T_2| = T_2 - T_1$

We can say  $\dot{Q}_1 = \dot{Q}_2 = \dot{Q}_3$

$R$  = thermal resistance

$$R_1 = \frac{t_1}{k_1} \quad R_2 = \frac{t_2}{k_2} \quad R_3 = \frac{t_3}{k_3}$$

$$R_{\text{tot}} = \sum_{i=1}^3 R_i$$

$$\dot{Q} = \frac{A \Delta T}{R_{\text{tot}}} \Leftrightarrow \dot{q} = \frac{\dot{Q}}{A} = \frac{T_0 - T_3}{R_{\text{tot}}}$$

## Second Example



$$t = 0,001 \text{ m}$$

$$k = 204 \text{ W/mK}$$

$$\Delta T = 76 \text{ K}$$

↑ insulation

$$\text{glass wool} = 10 \text{ cm} \quad k = 0,038 \text{ W/mK}$$

$$R_{\text{tot}} = \frac{t_1}{k_1} + \frac{t_2}{k_2} = \frac{0,1}{0,038} + \frac{0,001}{204} = 2,63 \frac{\text{m}^2 \text{K}}{\text{W}}$$

$$\dot{q} = \frac{76 \text{ K}}{2,63 \frac{\text{m}^2 \text{K}}{\text{W}}} = 28,9 \text{ W/m}^2$$

Convection = transfer of heat from one part of a fluid/gas to another part with a lower temperature. Done by mixing of particles.

Free convection, example of a hot road. Temperature differences cause density differences  $\rightarrow$  buoyancy effect.  
only with gravity

Forced convection; fluid motion caused by external forces.  
examples fan

Free and forced convection can occur simultaneously.

$$\dot{Q} = h A \Delta T$$

↳ local heat transfer coefficient + depending on materials and geometry.

More convection when boundary layer is turbulent



boundary layer

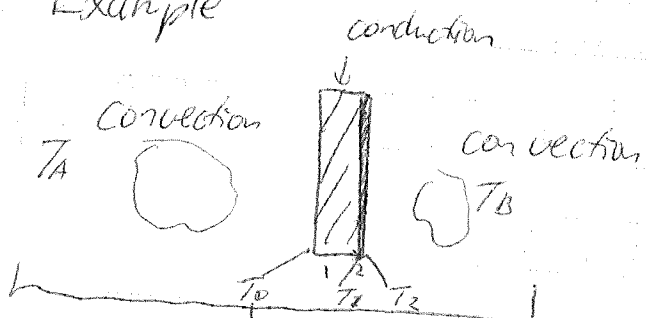
$$\text{so } h = f(Re, Pr, Nu, Gr)$$

$Pr$  = Prandtl nr

$Nu$  = Nusselt nr

$Gr$  = Gractz number

Example



equivalent thermal resistance

$$R_1 = \frac{t_1}{k_1} ; R_2 = \frac{t_2}{k_2}$$

$$\dot{Q} = h_A A \Delta T_A = \frac{A k_1 (T_0 - T_1)}{t_1} = \frac{A k_2 (T_1 - T_2)}{t_2} = h_B A \Delta T_B$$

$$R_A = \frac{1}{h_A} ; R_B = \frac{1}{h_B}$$

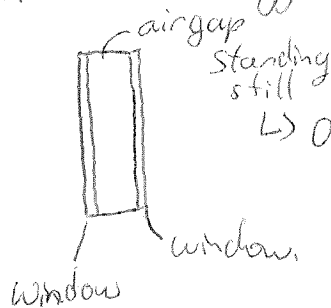
$$R_{tot, equiv} = \sum_{i=1}^n \frac{t_i}{k_i} + \sum_{i=1}^n \frac{1}{h_i}$$

$$h_A = 9.5 \text{ W/m}^2\text{K} ; h_B = h_C = 5.7 \text{ W/m}^2\text{K}$$

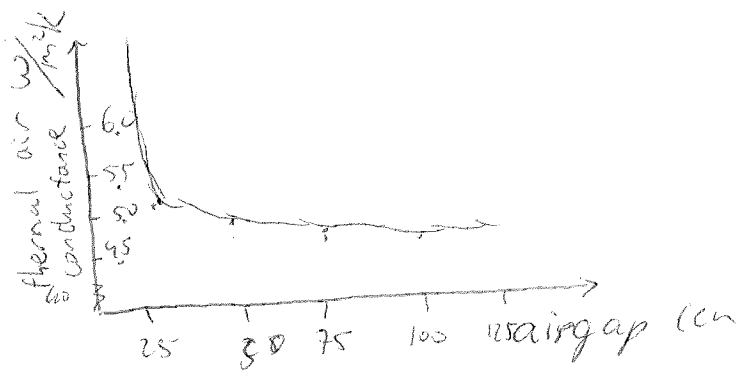
$$R_{\text{tot}} = \frac{1}{9.5} + \frac{1}{5.7} + \frac{0.10}{0.038} + \frac{0.001}{204} + \frac{1}{5.7} = 2.91 \frac{\text{m}^2\text{K}}{\text{W}}$$

$$\dot{q} = \frac{76}{2.91} = 26 \text{ W/m}^2$$

What is the effect of windows?



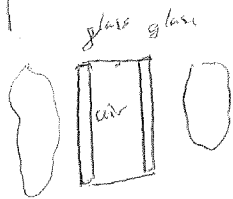
↳ air conductance  $C$  (equivalent to solids)



airgap in cm	$C$
25	5.2
50	4.8
75	4.6
100	4.5
125	

$$\dot{q} = U \Delta T ; U = \frac{1}{\frac{1}{h_A} + \frac{t_1}{k_1} + \frac{1}{C} + \frac{t_2}{k_2} + \frac{1}{h_B}}$$

$$U = \left[ \frac{1}{h_A} + \sum_{i=1}^n \frac{t_i}{k_i} + \sum_{j=1}^p \frac{1}{C_j} + \frac{1}{h_B} \right]^{-1}$$



2 layers of perspex each  $t=4 \text{ mm}$ ,  $k=0.2$   
 1 layer of air 25 mm  
 $h_A$  and  $h_B$  unchanged.

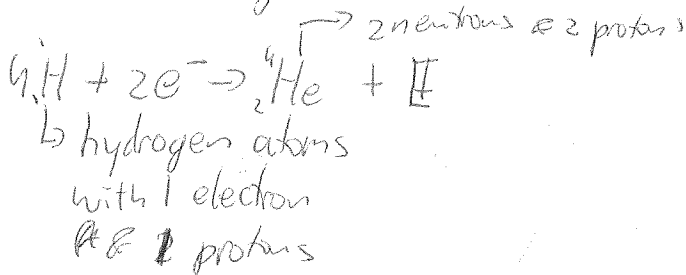
$$U = \left[ \frac{1}{9.5} + 2 \frac{0.004}{0.2} + \frac{1}{5.2} + \frac{1}{5.7} \right]^{-1} = 1.95$$

$$\dot{q} = 1.95 \cdot 76 = 148 \text{ W/m}^2$$

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Solar Energy

Sun = nuclear fusion reactor



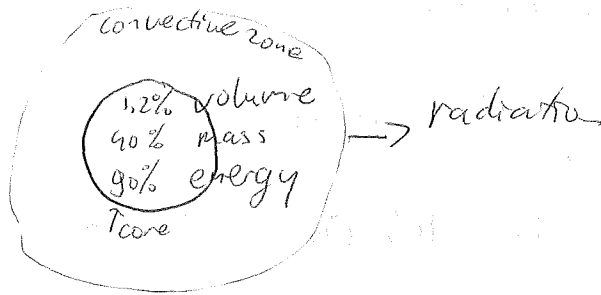
relative atomic mass

$$4 \cdot 1.00797 = 4.03188 \quad \Bigg| \quad 4.0026$$

>

$$E = mc^2$$

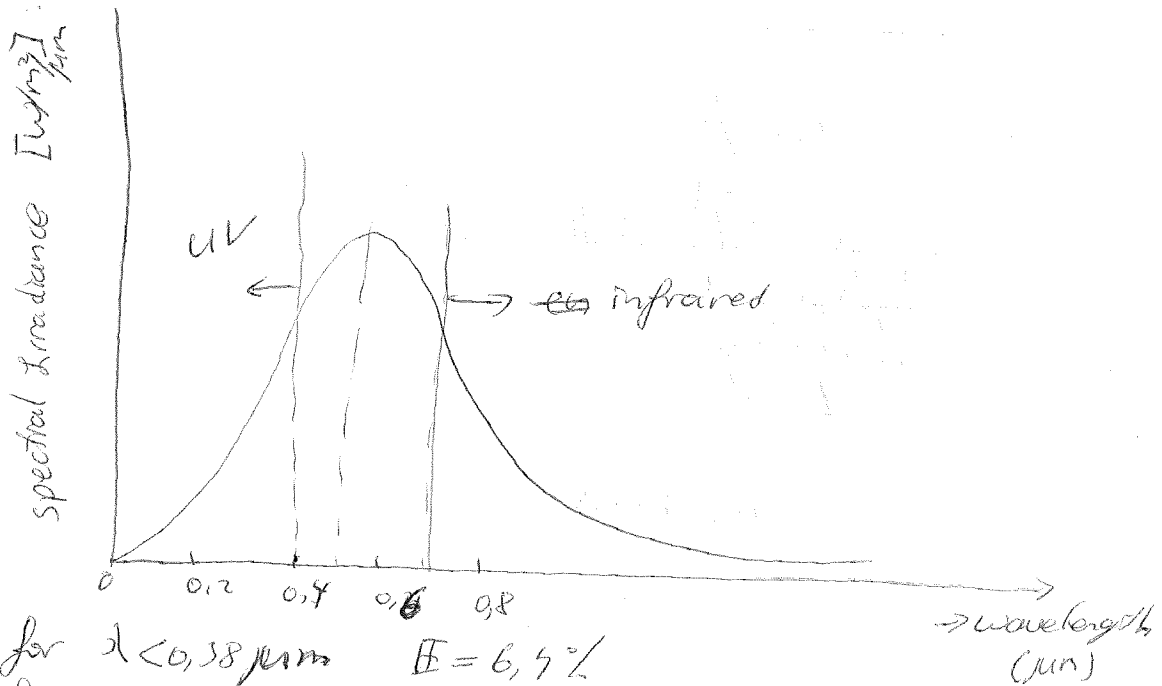
Example:



Sun = equivalent black body radiator

$$T_{eq} = 5777\text{K}$$

# Solar spectrum



for  $\lambda < 0,38 \mu\text{m}$   $E = 6,5\%$

for  $\lambda > 0,38 < 0,7 \mu\text{m}$   $E = 48\%$

for  $\lambda > 0,7 \mu\text{m}$   $E = 45,6\%$

Energy of the sun travels through space via radiation

Law of Stefan-Boltzman

Object radiates energy:  $E \propto T^4$

$$\Rightarrow E = \epsilon \sigma T^4$$

$\left[ \frac{\text{W}}{\text{m}^2} \right]$ 

- ↳ Stefan-Boltzman constant =  $5,67 \cdot 10^{-8} \frac{\text{W}}{\text{m}^2 \text{K}^4}$
- ↳ Emissivity of the surface, ideal case (black body radiation)  $\epsilon = 1$

How did they find  $E = \epsilon \sigma T^4$ ?

look at Planck's radiation law.

We have  $E_{\lambda}(T) = \frac{2hc^2}{\lambda^5} \cdot \frac{1}{e^{\frac{hc}{\lambda kT}} - 1}$

↑  
intensity of radiation per unit of area as a function of wavelength and temperature

$h$  = Planck's constant:  $6.6207 \cdot 10^{-34} \frac{J \cdot s}{}$

$c$  = speed of light

$k$  = Boltzmann constant:  $1,38066 \cdot 10^{-23} \frac{J}{K}$

When one intergrate this formula this will give the total energy for all  $\lambda$

$$E_{0-\lambda} = \int_0^{\lambda} E_{\lambda}(\lambda, T) d\lambda \Rightarrow \text{Stefan-Boltzmann law}$$

Where is  $E_{\lambda}$  max? Point of maximum radiation.

$\lambda_{\text{max radiation}} \cdot \frac{dE_{\lambda}}{d\lambda} = 0$

$\Rightarrow \lambda_{\text{max}} \cdot T = \text{constant} = 28976 \cdot 10^{-3} \text{ mK}$   
Wien's displacement law

Example

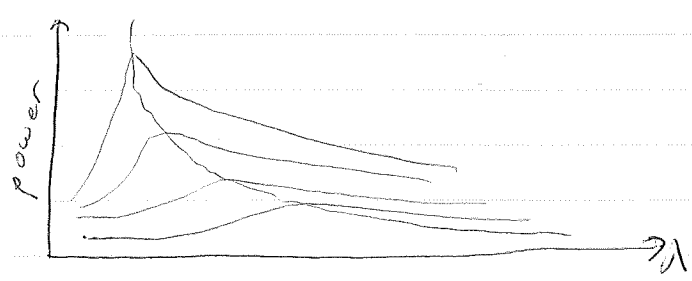
Sun:

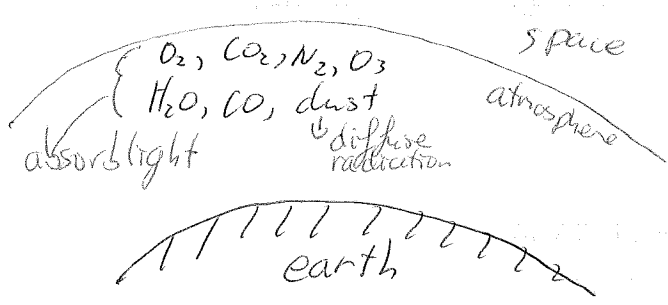
$T = 6000K \Rightarrow \lambda_{\text{max}} = 483 \text{ nm} (0,48 \mu\text{m})$

Earth

$T = 288K \Rightarrow \lambda_{\text{max}} = 1006 \text{ nm} (1,006 \mu\text{m})$

$\Rightarrow$  infrared.

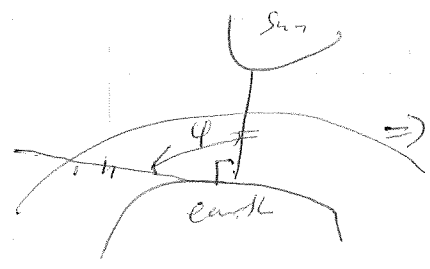




UV is blocked by Ozone ( $O_3$ )  
 X-Ray absorbed by the ionosphere  
 extreme UV

Difficult to know where <sup>all the particles</sup> ~~the rest of the~~ are.  
 so use air mass

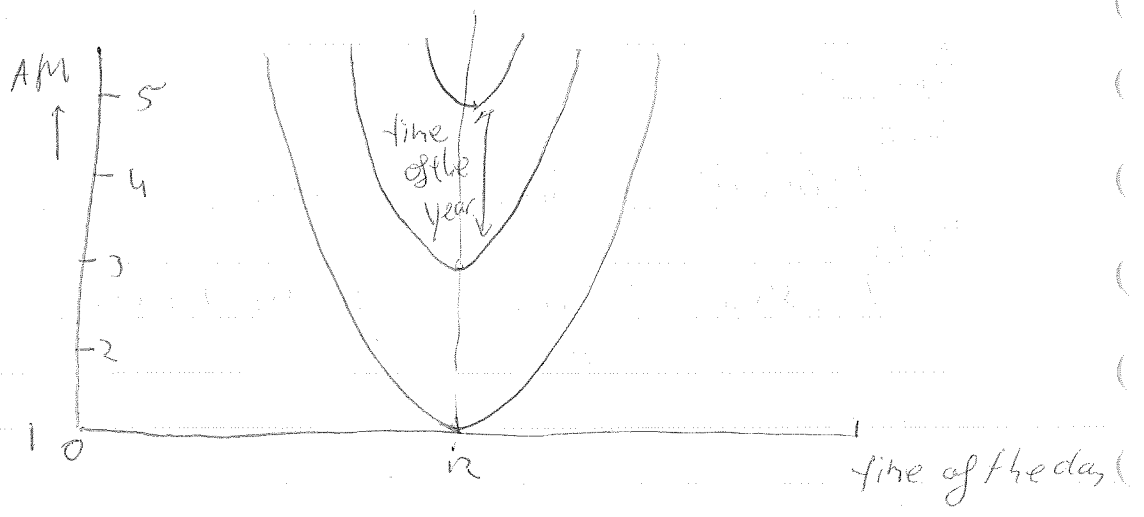
optical air mass =  $\frac{\text{optical thickness of the atmosphere through which the radiation passes}}{\text{optical thickness if the sun is at zenith}}$



$\Rightarrow AM = 1, 0$

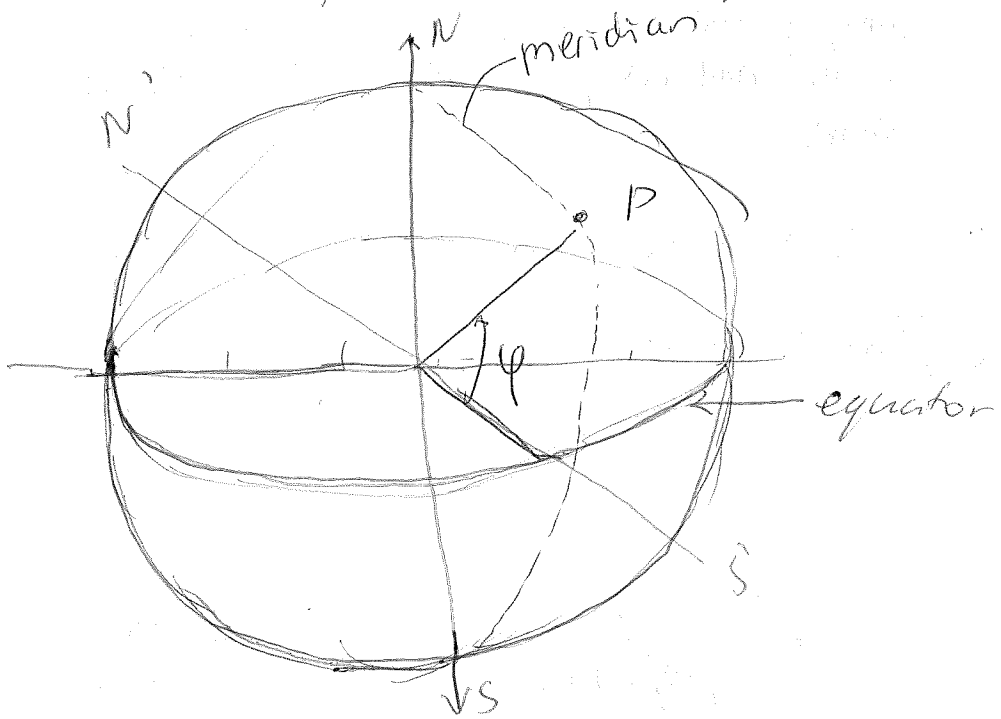
$\Rightarrow AM = \frac{1}{\cos \phi} = \sec \phi$

in space  $AM = 0$

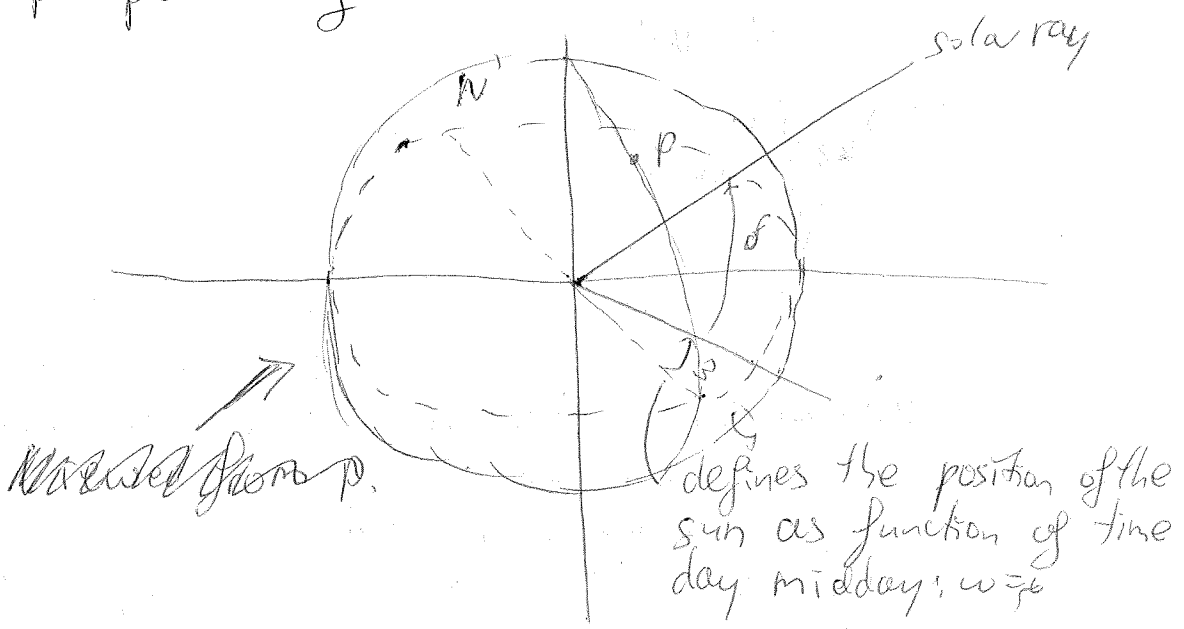




What does really reach the solar panel.



$\phi$  = latitude  
 $p$  = position of the observer





$\theta_i$  = angle of incidence

In general there are 5 relevant angles:

$\delta, \varphi, \omega, \beta, \gamma$

$$\cos \theta_i = (\cos \varphi \cdot \cos \beta + \sin \varphi \sin \beta \cos \gamma) \cos \delta \cos \omega + \cos \delta \sin \omega \sin \beta \sin \gamma + \sin \delta (\sin \varphi \cos \beta - \cos \varphi \sin \beta \cos \gamma)$$

Simplify this expression. Find so special cases.

Possible simplifications

panel facing due south:  $\gamma = 0$

$$\cos \theta_i = \cos(\varphi - \beta) \cos \delta \cos \omega + \sin \delta \sin(\varphi - \beta)$$

horizontal plane facing due south:  $\gamma = 0; \beta = 0$

$$\theta_i = \theta_z$$

$$\cos \theta_z = \cos \varphi \cos \delta \cos \omega + \sin \delta \sin \varphi$$

vertical plane facing due south:  $\gamma = 0; \beta = 90^\circ$

$$\cos \theta_i = \cos \varphi \cos \delta \cos \omega - \sin \delta \cos \varphi + \cos \delta \cos \omega \sin \varphi$$

Example.

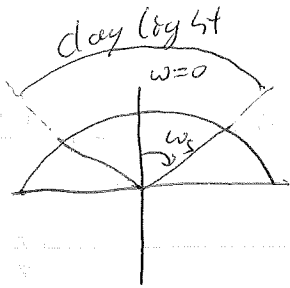
Find out the number of daylight hours (sunshine) for a given location ( $\varphi$ ) on earth

Sunset: when zenith is  $90^\circ \Rightarrow \omega = \omega_s$

use formula for horizontal plane facing due south.

$$\cos \theta_z = \cos \varphi \cos \delta \cos \omega_s + \sin \delta \sin \varphi$$

$$\cos \omega_s = - \frac{\sin \delta \cdot \sin \varphi}{\cos \delta \cdot \cos \varphi} = - \tan \delta \cdot \tan \varphi$$



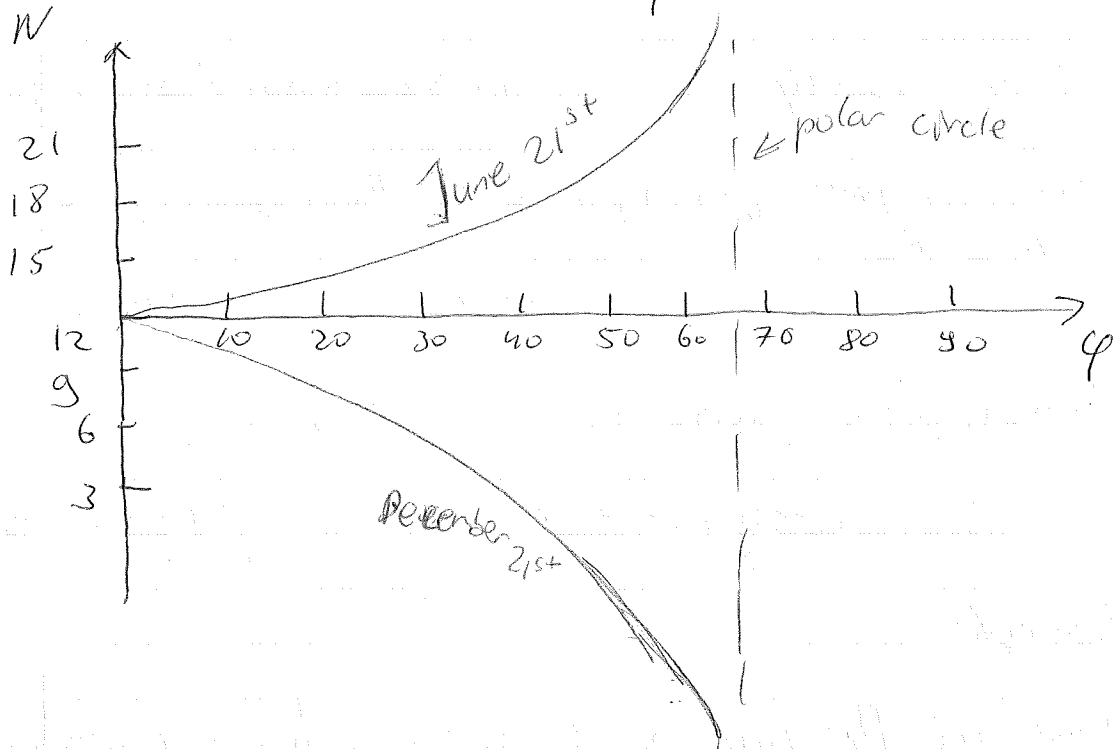
we need to know 2  $\omega_s$

$$2 \cdot \cos^{-1}(-\tan \delta \tan \varphi)$$

we now know angle

angle  $\rightarrow$  hour: we know that the earth rotates once per 24 hours  $\Rightarrow \frac{360^\circ}{24 \text{ hrs}} = 15^\circ/\text{hr}$

$$N = \frac{2}{15} \cos^{-1}(-\tan \delta \tan \varphi)$$



Sunlight hours in Delft

$$172 = \text{June } 21^{\text{st}} \quad \varphi = 52^\circ$$

$$356 = \text{December } 21^{\text{st}}$$

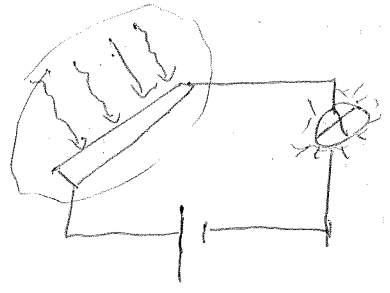
$$\delta = 23.45 \sin\left(\frac{360}{265}(284+n)\right) = \left\langle \begin{array}{l} \sim \\ \sim \end{array} \right.$$

$$\text{June} \Rightarrow N = 16 \text{ hr } 29 \text{ min } 49 \text{ sec}$$

$$\text{December} \Rightarrow N = 7 \text{ hr } 30 \text{ min } 11 \text{ sec}$$

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Semiconductors

photovoltaic systems.



$\sigma$  = electric conductivity

The majority of photovoltaic cells are silicon semiconductor or junction devices

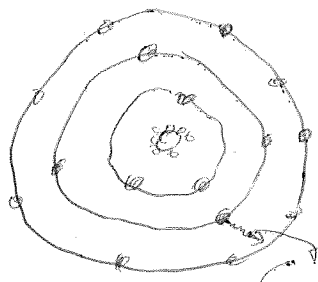
- Semiconductor
- Solids can be divided into 3 categories
- insulator  $\sigma < 10^{-8} / \Omega m$
  - conductor (metals)  $\sigma > 10^4 / \Omega m$
  - semiconductor  $10^{-8} < \sigma < 10^4 / \Omega m$

Semiconductor can have two states

- conducting
- non-conducting

We will make use of a Energy Band Diagram plot off the allowed electron energy states in a material.

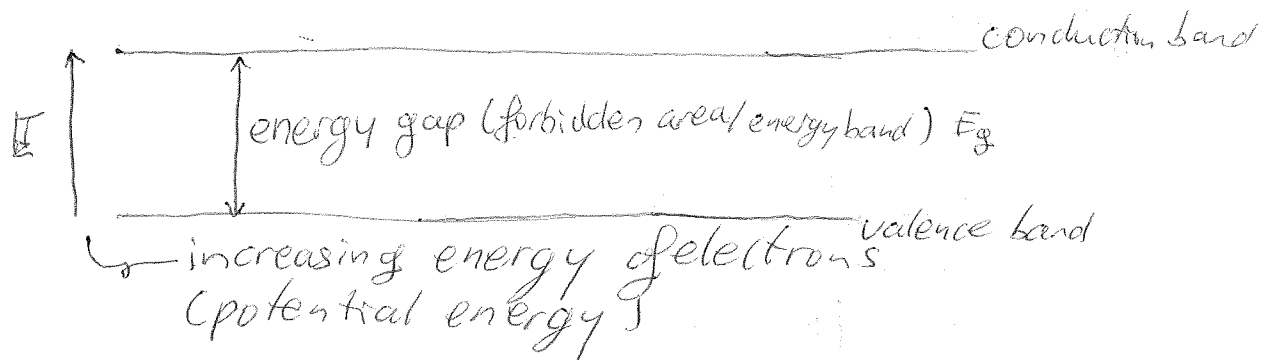
We will have to apply Bohr's atomic model



quantum theory

specific quantity of energy makes the electron jump to another shell.

Now the band diagram will look like this:



for conductors  $E_g = 0$   
 " insulators  $E_g = \text{very large}$   
 for semiconductors  $E_g$  is of limited size.

quanta of energy: small steps of energy  
 is given by  $h\nu$  → frequency  
 planck's constant

Energy gap is a function of  $T$   $E_g(T) = E_g(0) - \frac{aT^2}{T+b}$

$a, b$  are material properties.

Silicon:  $E_g(0) = 1.16 \text{ eV}$   
 $a = 7 \cdot 10^{-4} \text{ eV/K}, b = 1100 \text{ K}$

Gallium-Arsenide:  $E_g(0) = 1.52 \text{ eV}$   
 $a = 5.8 \text{ eV/K}, b = 300 \text{ K}$

Multiple junction has cover gaps.

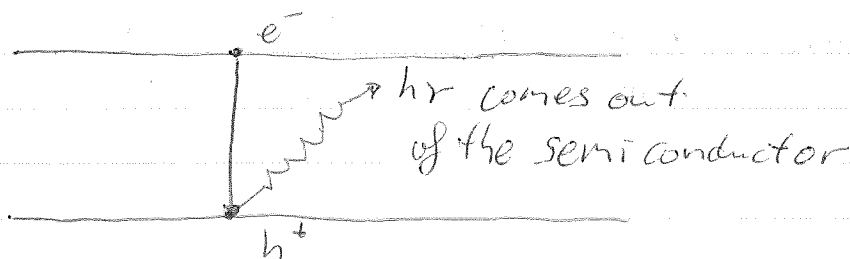
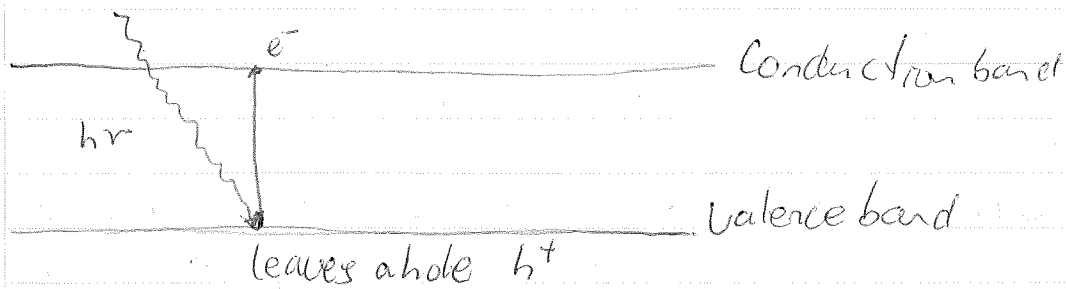
Example:

What is the size of the energy gap @ 40°C

$$\text{Si: } E_g(40^\circ\text{C}) = 1,16 - \frac{7/10^4 \cdot (273,15 + 40)^2}{273,15 + 1100} = 1,11 \text{ eV}$$

GaAs  $\Rightarrow$  1,43 eV

what will happen in the energy band



electron - hole - recombination

So we want actually to capture the loose electrons.

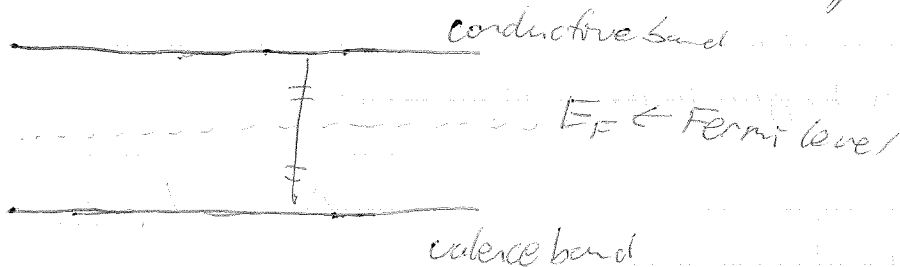
We have 2 categories of semiconductors  
 intrinsic - pure semiconductors (found in nature),  
 they have a so-called Fermi-level in  
 the middle of the conduction & valence  
 band  $\Rightarrow$  this means that the number  
 of free electrons in the conduction  
 band = number of ~~the~~ holes in the valence  
 band.

~~remains~~

Fermi-level: Fermi discovered some stuff.



is a apparent energy level within the forbidden energy gap from which the majority carriers are excited to become charge carriers



Majority carriers: electrons - n-type semiconductor  
holes - p-type semiconductor

for intrinsic: number of free electrons =  $n$   
number of free holes =  $p$

$$n = p = (n_i)$$

We want to increase the conductivity of the intrinsic semiconductors  $\Rightarrow$  add control quantities of specific impurities,  $\Rightarrow$  doping

Impurity ion of valency less than that of the semiconductor  $\Rightarrow$  become electron acceptors  $\Rightarrow$  trap free electrons, for valency higher than trap holes.

These traps have energy level within the band gap

$\Rightarrow$  create a situation where the electrons are trapped  $\Rightarrow$  resulting positive charge  $\Rightarrow$  p-type semiconductor



We can reverse this.

- Impurity ~~ions~~ of valence higher than that of the semiconductor  
 ⇒ trap free holes  
 ⇒ n-type semiconductor

n-type: electrons - majority carrier  
 holes - minority carrier

p-type: holes - majority carrier  
 electrons - minority carrier

~~n-type~~

⇒ We have created extrinsic semiconductors

n-type material  $E_F = E_c + kT \ln \frac{N_D}{N_c}$

$E_c$  = conduction energy level

$k$  = Boltzman constant  $1.38 \cdot 10^{-23}$  J/K

$N_D$  = donor concentration

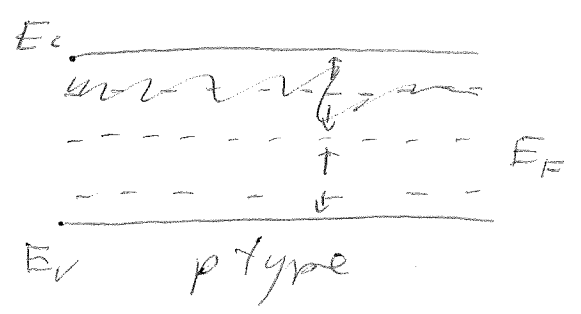
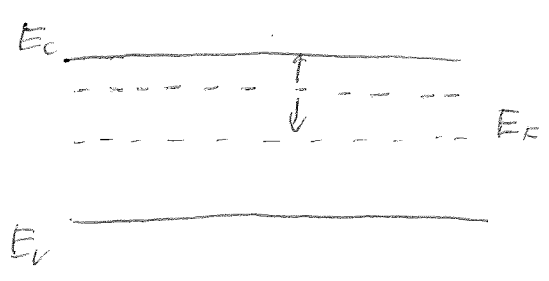
$N_c$  = effective density of state in the conduction band  $\approx 10^{19}/cm^3$

p-type material  $E_F = E_v - kT \ln \frac{N_A}{N_v}$

$E_v$  = valence energy level

$N_A$  = acceptor ion concentration

$N_v$  = effective density of states in valence band  $\approx 10^{15}/cm^3$



Example.

Calculate the shift in Fermi-level in a silicon semiconductor doped with Vanadium group impurities with a concentration of  $10^{15}/\text{cm}^3$  given  $N_c = 2,82 \cdot 10^{19}/\text{cm}^3$   
 $E_g = 1,1 \text{ eV}$

$$T = 27^\circ\text{C} \quad E_F = E_c + kT \ln \frac{N_D}{N_c}$$

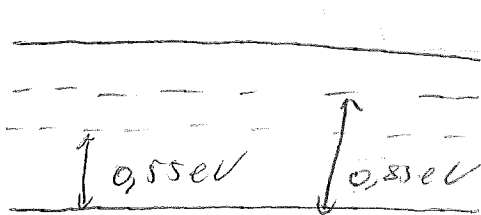


$$E_F = 1,1 + 1,38 \cdot 10^{-23} \cdot (273,15 + 27)$$

$$\ln \frac{10^{15}}{2,82 \cdot 10^{19}}$$

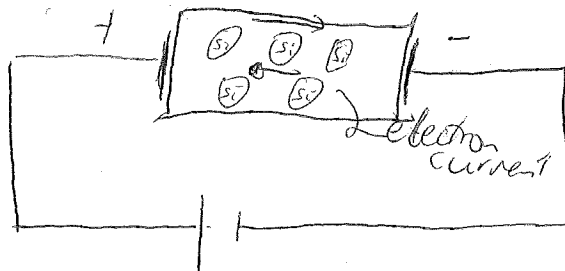
$$\approx 1,6 \cdot 10^{-19} \text{ J/eV}$$

$$\Rightarrow E_F = 0,83 \text{ eV}$$



$$\text{shift: } \Delta E_F = 0,28 \text{ eV}$$

Example of complete system.



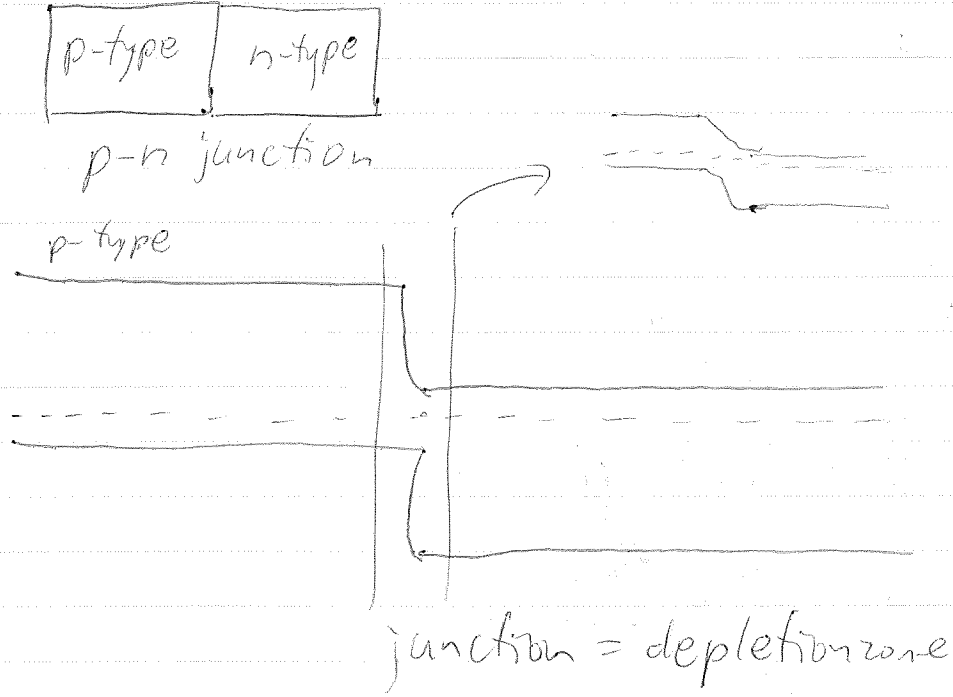
Extrinsic semiconductors:

n-type: dopant contributes to extra electrons

p-type: " " " " holes

⇒ dramatic increase in conductivity.

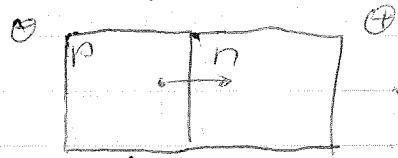
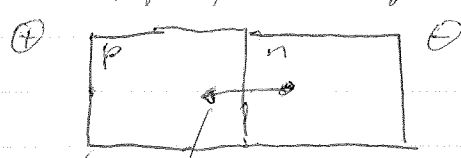
Combination of a p-type & n-type semiconductor



junction = depletion zone

in the depletion zone the free holes & free electrons recombine.

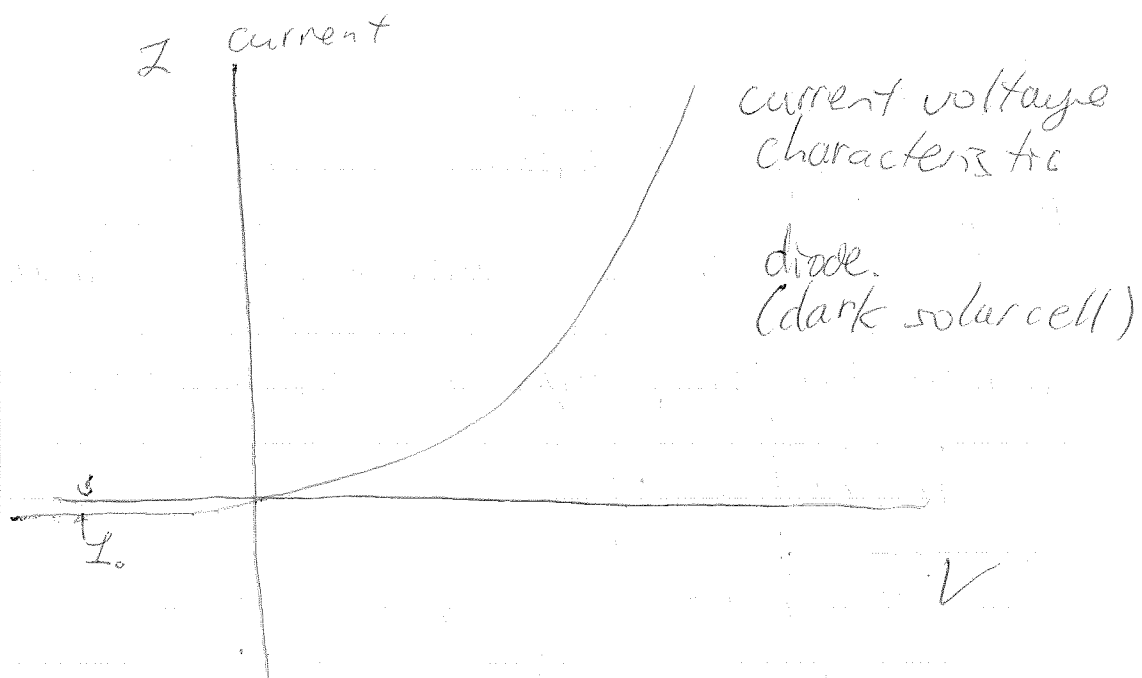
Now apply a voltage across the junction:



force on an electron because of the applied voltage

electron current across the junction

no current across the junction



for good solar cells  $I_0 \approx 10^{-2} \text{ A/m}^2$   
quality

$$I_0 = f(T) \quad \text{if } T \uparrow: I_0 \uparrow$$

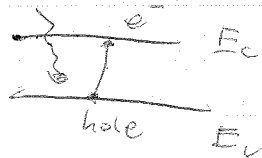
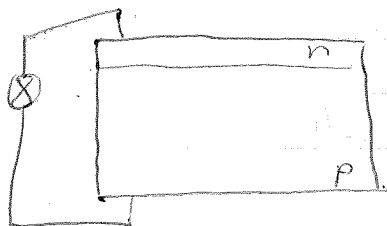
$$I_0 = A T^3 e^{-\frac{E_g}{kT}}$$

$\downarrow$  Non ideal factor       $\rightarrow$  band gap

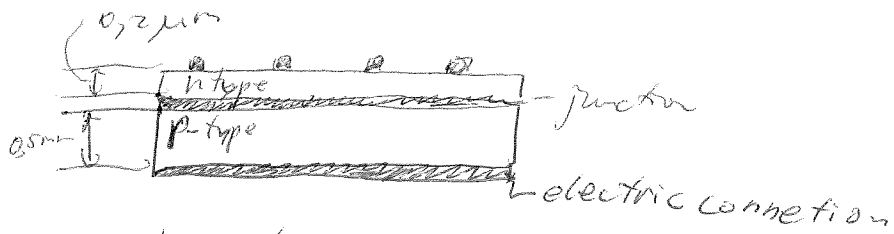
When a p-n junction is illuminated electron-hole pairs are generated and can be used in an electric circuit if we "catch" them before they recombine



rotate.



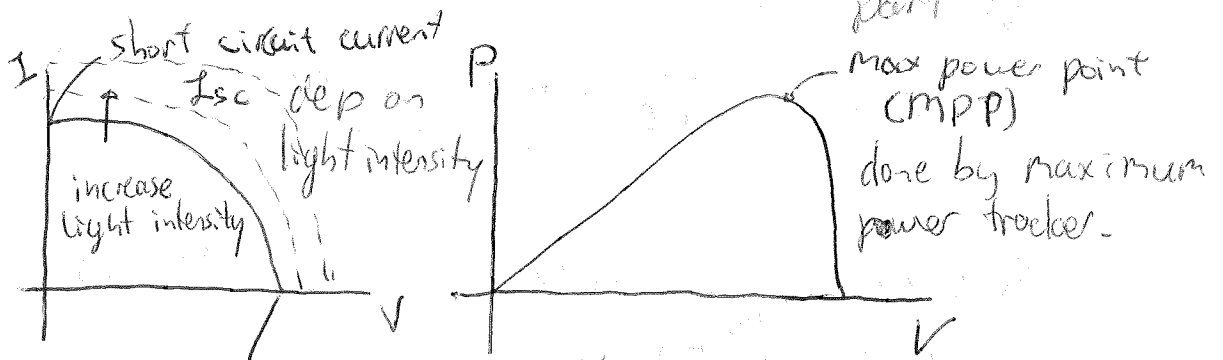
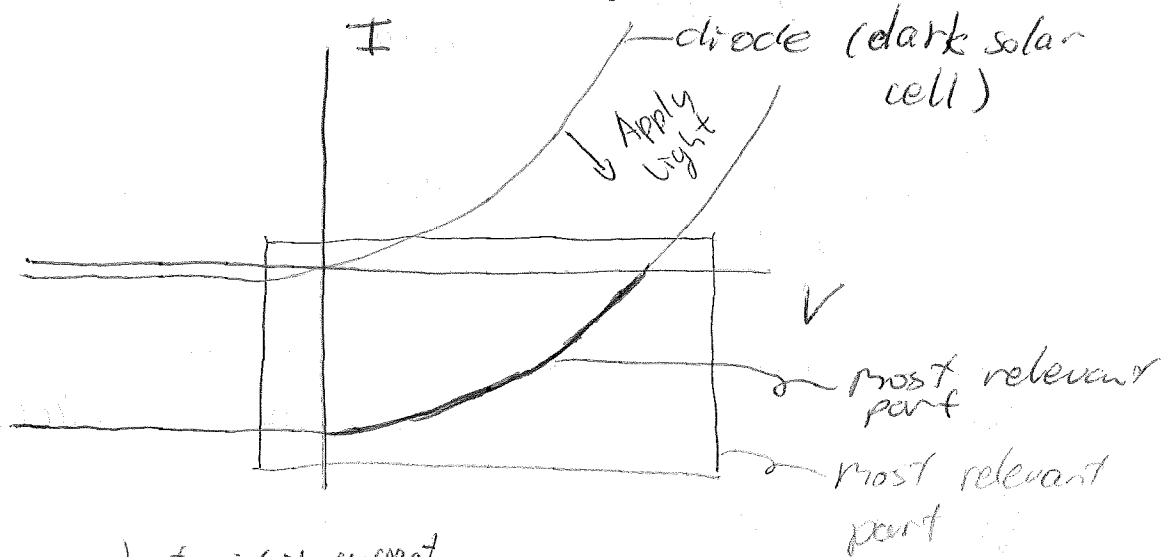
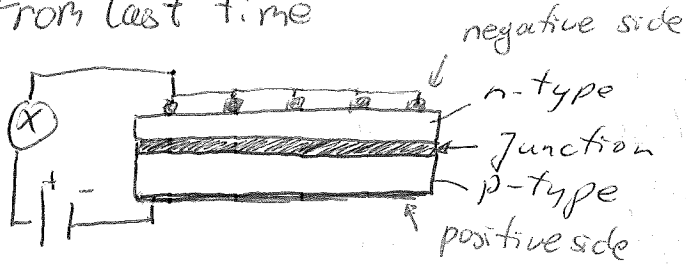
$\Rightarrow$  resulting photocurrent  $I_L$



p-type layer  $\gg$  n-type layer B only for structural reasons.

# AE3-T11 Sustainable Development 11-03-2008

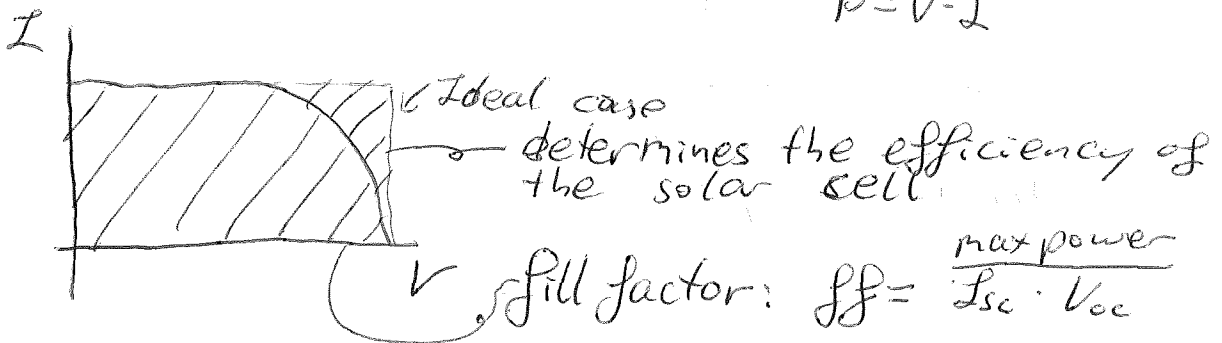
From last time



open circuit voltage ( $V_{oc}$ ) not dep on light intensity

Power output

$$P = V \cdot I$$



$$FF_{sc} = 0,88$$

## Solar panel:

Collection of solar cells

- Cells fixed together in practical module.
- Goehermann modules
  - cells embedded in polymer laminate.
  - should be overlapped.

\$250 / cell

0,78 Watt/cell

320 / Watt

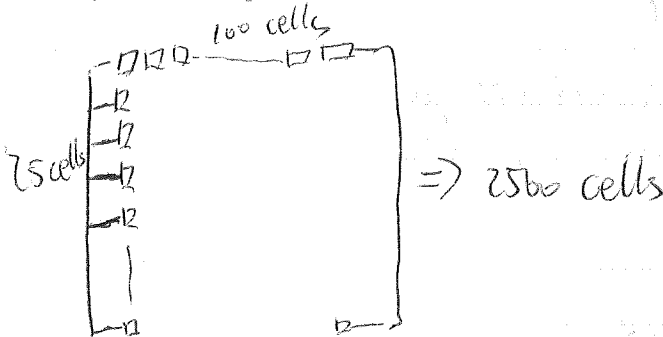
} for solar cells of the sun!

More voltage  $\Rightarrow$  connect in series the cell  
More current  $\Rightarrow$  connect the cells in parallel.

Example

If 60 V is needed having 1 cell do 0,6V  
 $100 = \frac{60}{0,60} = \text{number of cells}$  in series.  $\downarrow$   
952

50A motor, 2A cell so  $\frac{50}{2} = 25$  cells parallel



This is not practical.

Energy density  
Wh/kg or Wh/l

C-rating

12V 45Ah

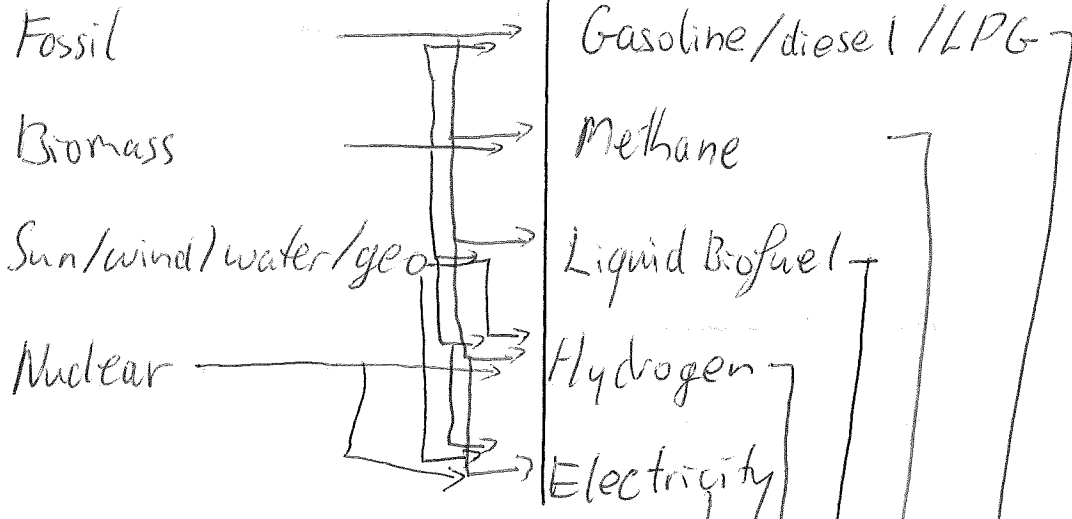
- if  $I = 45A \Rightarrow 1C$  rating
- if ~~dis~~ 2C discharge rating  
 $\Rightarrow 90A = \frac{1}{2}h$
- if 0.5C discharge  
 $22.5A \Rightarrow 2hr$

Normally battery are sold as  $\frac{1}{20}$  rating for acid lead.

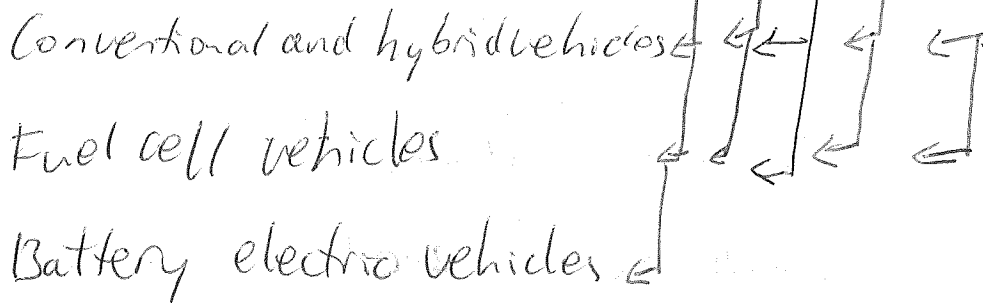


Primary energy source

Secondary energy carrier



Final energy Transformer



Biomass ~~a plant can make.~~

Material of combustible organic matter

- wood
- agricultural crop
- animal waste (incl. manure (shit))
- aquatic plants
- fossil fuels.

Basic chemical reaction:

see next page

1808/mole

$$\begin{aligned} O &: 16 \cdot 6 = 96 \\ H &: 1 \cdot 12 = 12 \\ C &: 12 \cdot 6 = 72 \end{aligned}$$



6.022  $\times 10^{23}$  molecules

1 mole of glucose

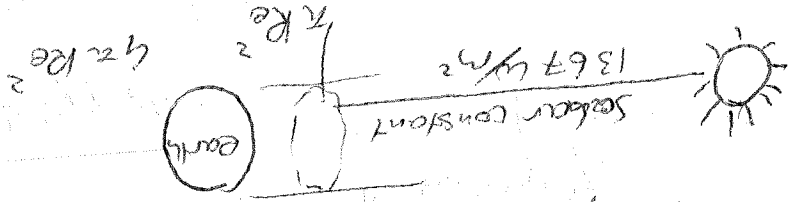
0.7%

now assume that the efficiency of a plant is

so plants receive  $240 \text{ W/m}^2$

on average we get only 7% due to the albedo effect only 7%

$$\frac{1367 \text{ W/m}^2}{4}$$



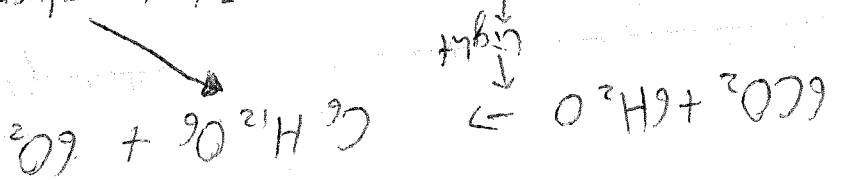
on earth per year

Example calculation how much biomass a  $1 \text{ m}^2$  of crop can produce

~~Example calculation~~

roughly speaking  $\approx 100 \text{ g/m}^2/\text{day}$

= energy 2.81 MJ/mole glucose



nett production;

$$\frac{2.81 \text{ MJ/mole}}{180 \text{ g/mole}} = 15.61 \text{ MJ/kg}$$

$$240 \text{ W/m}^2 \cdot 365 \cdot 3600 \text{ s} \cdot 24 = 7,56864 \text{ GJ/m}^2/\text{year}$$

$$0,007 \cdot \frac{7,56864 \cdot 10^9}{15,61 \cdot 10^6} = \underline{\underline{3,4 \text{ kg/m}^2/\text{year}}}$$

EI = Emission index.

AE3-711 Sustainable Development 19-03-2008

Nuclear power: needs resources not for free!  
not sustainable.

production oil =  $50 \cdot 10^5$  y      use = 50 year      ← bad effect

production of uranium =  $\sim 10$  By      use = ? year      ← harm

disrupting  $\neq$  sustainable.

A trade off has to be made for time and R&D.  
Resources for "

The most important is the focus for R&D.

### Harm of Nuclear Power

Policing is dependend on culture!

nuclear waste lifetime 50 k years! (In the past)  
100-2000 years! (Now)

### Cradle to Cradle

Waste does not exist, input for another process

Less bad is still not good.

Eco-effectiveness

2 cycles: Biocycle + Technocycle.  
compost ←      → factory takes it back

Economy in the private party, risk in the society

~~Feedback~~

Diversity is important, because you never know what is going to happen.

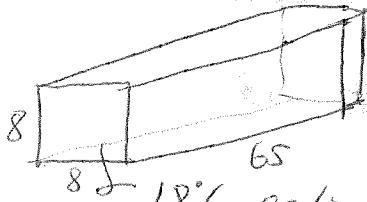
A beautiful Mind, Edward de Bono.

- Question and Answers session:  
Thursday April 3rd, 9.30-12.00 hrs meeting room 5.

- Exam: Friday 4th April.  
no thermal energy  
geo.  
no wind turbine.

## Example Exam. April 2006

- 1) Volume is enormous,
- 2) advantage. Don't say no  $\text{CO}_2$  production.  
Combined knowledge
- 3) Aircraft insulated



18°C cabin at cruise altitude -60°C  
110mm  $k_1 = 0,0035 \text{ W/mK}$   
18°C,  $h_{18} = 6 \text{ W/m}^2\text{K}$   
-60°C  
1mm  $k_2 = 209 \text{ W/mK}$   
 $h_A = 10 \text{ W/m}^2\text{K}$   
calculate the energy loss

1<sup>st</sup> find total thermal resistance

$$R_{\text{tot}} = R_{hA} + R_1 + R_2 + R_{hB}$$
$$= \frac{1}{h_A} + \frac{t_1}{k_1} + \frac{t_2}{k_2} + \frac{1}{h_B} =$$

$$\Rightarrow \dot{Q} = 50,5 \text{ kW}$$

Used convection on both sides and conduction.

4) Maximum speed of solar car:  
 assume  $\beta, \gamma = 0$  horizontal solar panel

$$\theta_i = \cos \varphi \cdot \cos \delta \cdot \cos \omega + \sin \delta \cdot \sin \varphi$$

$\uparrow$  latitude       $\uparrow$  time year       $\uparrow$  time day

$$\delta = 23,4^\circ \sin\left(\frac{360}{365}(284+n)\right) = 22,75^\circ$$

$\downarrow$  midday  $\Rightarrow \omega = 0$

$$n = 31 + 28 + 31 + 30 + 31 + 7 = 158$$

$$\varphi = 37^\circ$$

$$\Rightarrow \cos \theta_i = 0,969 \Rightarrow \boxed{\theta_i = 14,25^\circ}$$

$$I = 1000 \text{ W/m}^2 \cdot \cos \theta_i \Rightarrow 969 \text{ W/m}^2$$

total incoming power:  $9 \cdot 969 \text{ W}$   
 27%

available energy: ~~22956 J~~  
 $9 \cdot 969 \cdot 0,27 = 2,355 \text{ kW}$

$$P_r = V \left( C_w \frac{1}{2} V^2 S_{\text{front}} + \mu \cdot m \cdot g \right)$$

Aerodynamic drag  $= C_w \frac{1}{2} \rho V^2 S_{\text{front}}$  /  $C_w \frac{1}{2} \rho V^2 S$   
 rolling friction  $= \mu W = \mu \cdot m \cdot g$

$$P_r = P_a = V \left( C_w \frac{1}{2} V^2 S_{\text{front}} + \mu \cdot m \cdot g \right) = 2,355 \text{ kW}$$

3<sup>rd</sup> order equation.

apply Newton-Raphson method.

$$f(x) = 0 \quad f(x) = C_w \frac{1}{2} \rho V^3 S_f + \mu m g V - 2355$$

$$V_1 = 10 \text{ m/s} \Rightarrow V_2 = V_1 - \frac{f(V_1)}{f'(V_1)} \Rightarrow V = 35 \text{ m/s}$$